

# Using the Jets-without-Jets Algorithm to Model MET in an ATLAS Level-1 Trigger Algorithm

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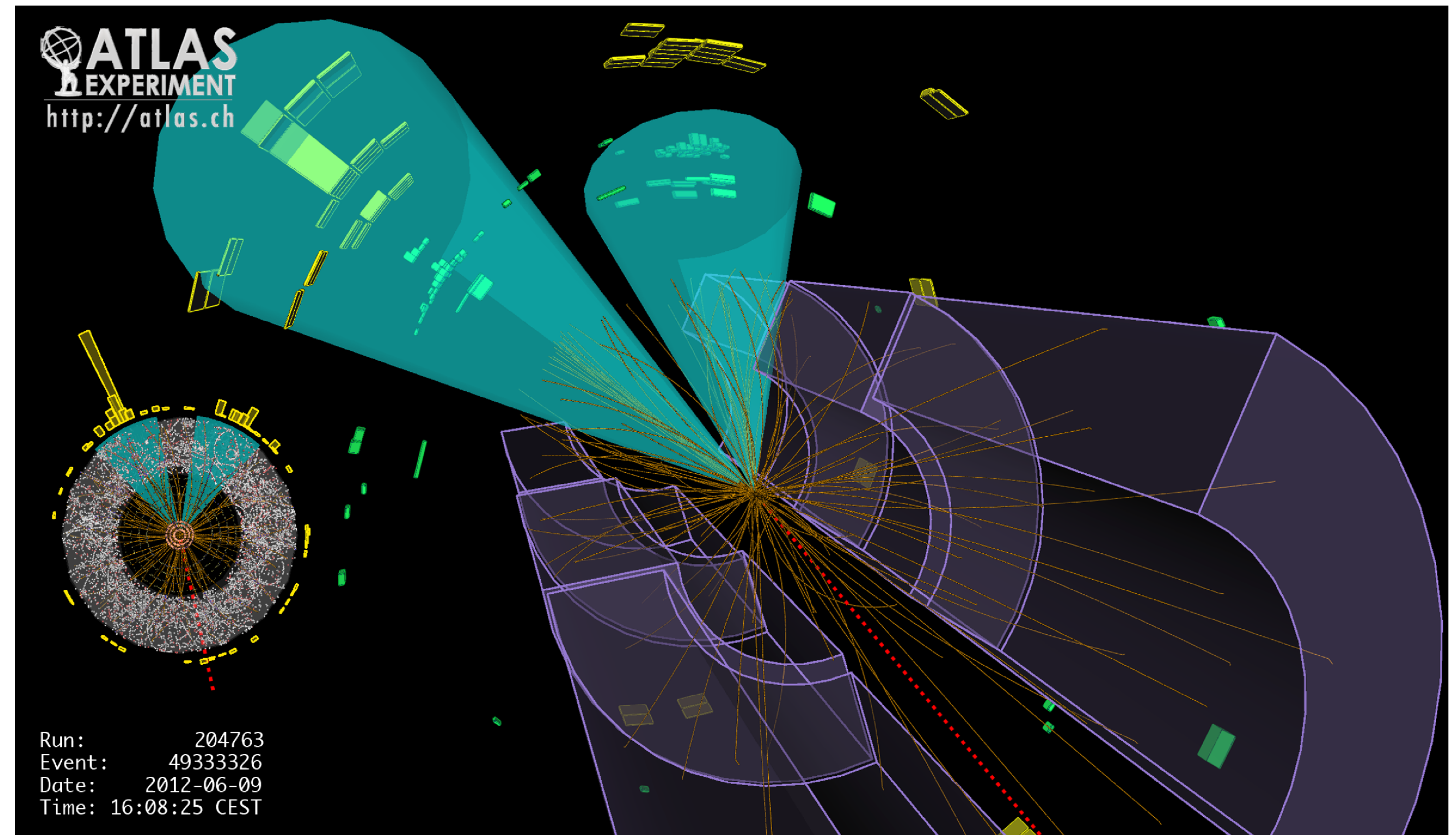
2 August 2017

- Motivation
- Introduction to the gFEX
- Introduction to the Jets-without-Jets Algorithm
- Modeling Missing Transverse Energy Using the Jets-without-Jets Algorithm
- Determining the Optimal Form of Missing Transverse Energy
- Conclusion

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- This analysis has been performed using simulated data.
    - Signal:  $ZH \rightarrow \nu b \bar{b}$
    - Background: MinBias
  - “MET Truth” = the truth MET for all stable, interacting particles (excluding muons) within  $|\eta| < 5$ .

- Of the 600 million proton-proton collisions that occur every second within the ATLAS detector (at 7 TeV), only ~200 events can be added to long term storage.
- The ATLAS trigger system performs this reduction in steps by isolating potentially desirable events.
- The ATLAS detector is not capable of directly observing neutrinos, SUSY particles, dark matter and any other particles that do not interact with its detector components.
- Missing Transverse Energy (MET) in an event is used to infer the presence of non-interacting particles.
- Current computational requirements result in MET being determined offline. In part this is due to the need to perform complicated jet reconstruction and calibration.
- These studies present a novel alternative approach to constructing MET as the basis for a Level-1 trigger algorithm.

## Event Display for $ZH \rightarrow \nu\nu b\bar{b}$ Event Candidate

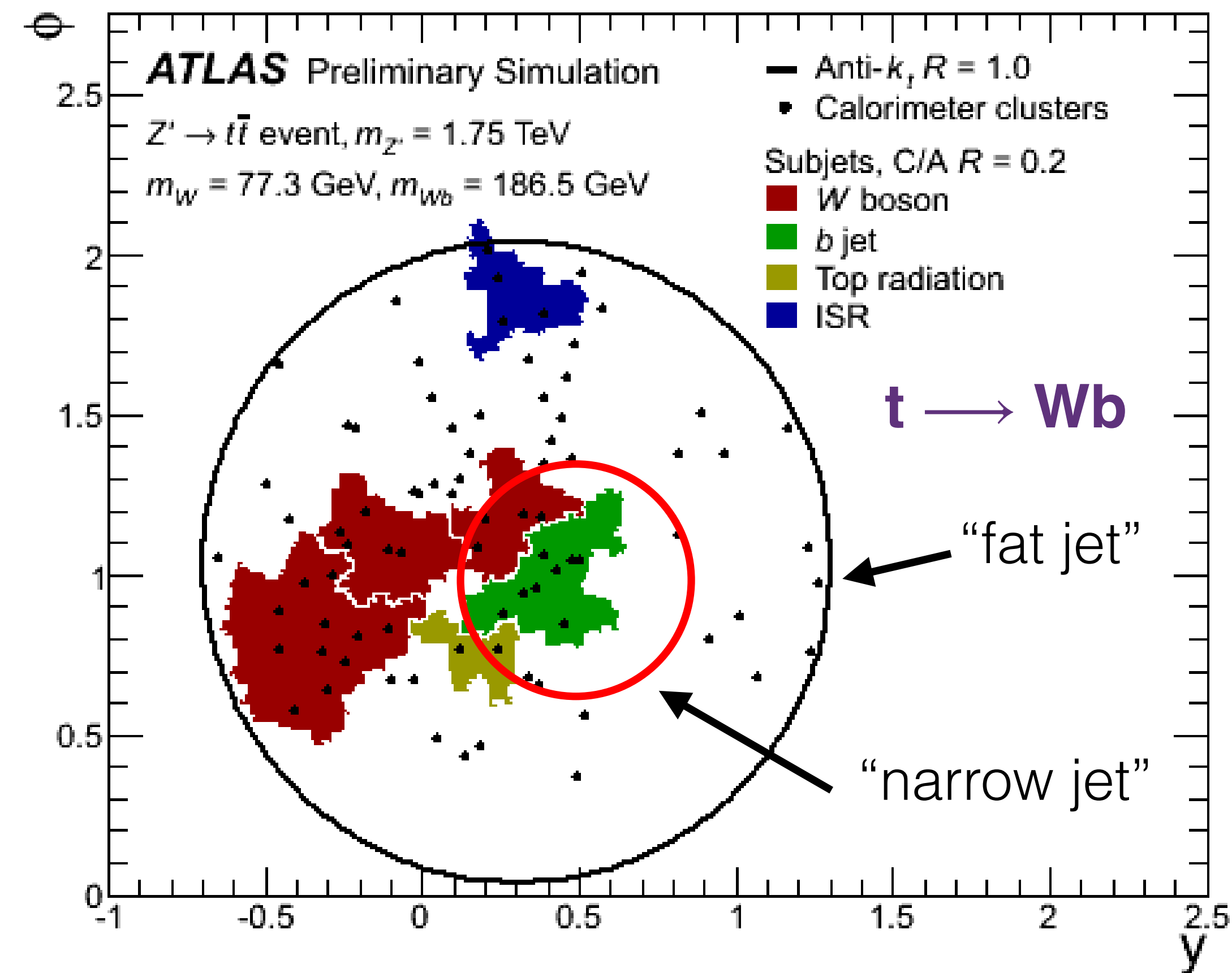


ATLAS-CONF-2012-161



## The gFEX (Global Feature Extractor)

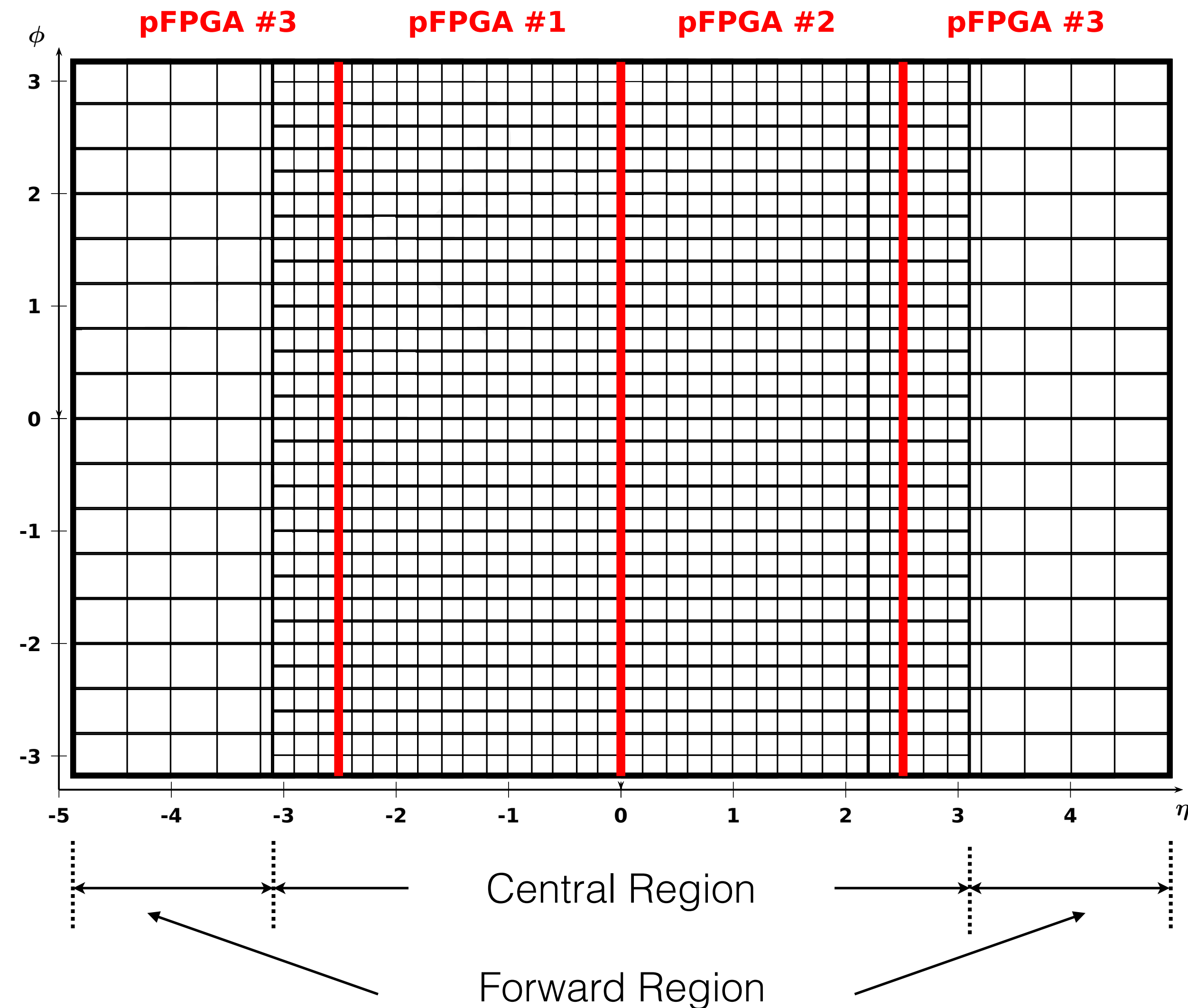
- The gFEX is a component that will be incorporated into the upcoming Phase I upgrade of the ATLAS Level-1 Calorimeter Trigger system.
- It will take real time coarse granularity information from the entire calorimetry system and analyze it on a single processor board using three Field Programmable Gate Arrays (FPGAs).
- It is designed to help identify the energy signatures associated with the hadronic decays of high momentum particles.
  - The current Level-1 trigger uses narrow jets which work well for the identification of lower  $p_T$  particles.
  - The gFEX will allow the acceptance of “fat” jets into the Level-1 trigger which are much better at identifying boosted objects such as W and Z bosons, and top quarks.



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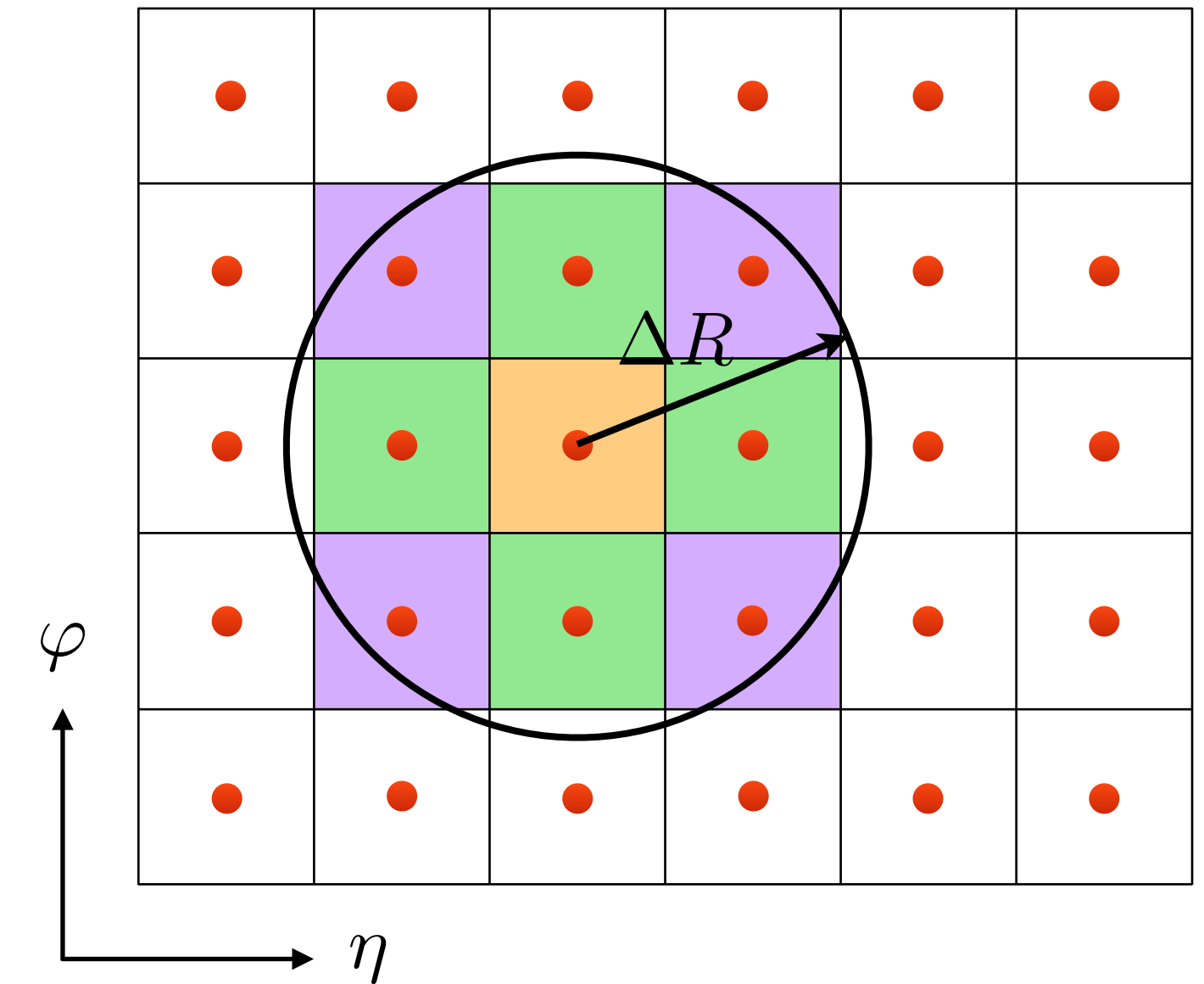
- The gFEX analyzes event level information using a set of coarse granularity cells called gTowers.
- As shown here, the size of a gTower is fixed but depends on its location in the detector.
- For central region ( $\eta < 3.2$ ) the size of a gTower is  $\Delta\eta \times \Delta\phi = 0.2 \times 0.2$
- Because the gFEX incorporates information from the entire event, the gFEX is well suited to the task of quickly calculating Missing Transverse Energy (MET).
- The Jets-without-Jets Algorithm (JwoJ) is one of the algorithms being studied for potential implementation on the gFEX as a quick MET calculator.

arXiv:1310.7584v2 [hep-ph]



## The Jets-Without-Jets Algorithm:

- **Step 1:** for the  $i^{\text{th}}$  gTower, sum all transverse energy from the gTowers whose centers are within a given  $\Delta R$  of the gTower.
- **Step 2:** use these sums to construct,
  - **MHT<sub>JwoJ</sub>** = magnitude of the vector sum of  $E_T$  for all gTowers whose sum is greater than a threshold. (“Hard Term”)
  - **MET<sub>JwoJ</sub>** = magnitude of the vector sum of  $E_T$  for all gTowers whose sum is less than a threshold. (“Soft Term”)
- **Step 3:** Calculate Missing Transverse Energy (MET).



$$\Delta R = \sqrt{\Delta \eta^2 + \Delta \varphi^2}$$

- Other Useful Quantities:
  - **MET<sub>gT</sub>** = magnitude of the vector sum of  $E_T$  for all gTowers in an event. (“Total Term”)
  - **Scalar  $E_T$**  = scalar sum of  $E_T$  for all gTowers in an event.

- Four methods of expressing MET as a weighted sum of JwoJ quantities are being studied.

$$\text{MET} = a \text{ MHT}_{\text{JwoJ}} + c$$

$$\text{MET} = b \text{ MET}_{\text{gT}} + c$$

$$\text{MET} = a \text{ MHT}_{\text{JwoJ}} + b \text{ MET}_{\text{JwoJ}} + c$$

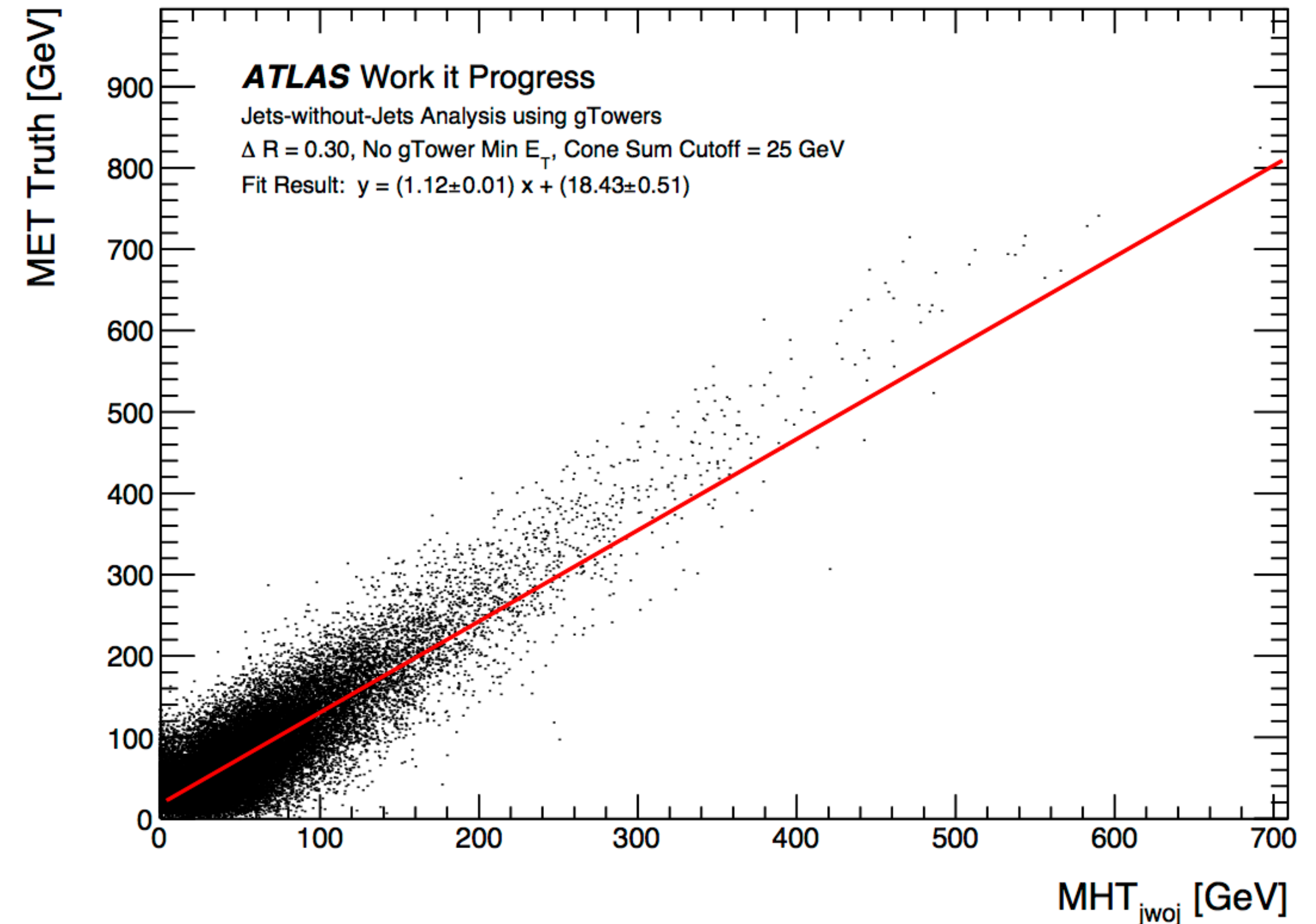
$$\text{MET} = a \text{ MHT}_{\text{JwoJ}} + b \text{ MET}_{\text{gT}} + c$$

- As a first step in these studies, an attempt was made to model MET in terms of only  $MHT_{JwoJ}$  using constant values for “a” and “c”.

$$MET = a MHT_{JwoJ} + c$$

- As can be seen here, using constant values for “a” and “c” does a poor job of modeling MET for the full range of MET values.
- From this it was determined that non-constant values for the coefficients should be used to model MET using JwoJ quantities in the proposed manner.
- To best proceed with the analysis it is important to keep the purpose of these studies in mind.
  - Purpose: **Build a Level-1 MET trigger algorithm.**
- So, the ideal form of calculated MET should be computationally “simple”.
  - Not a complicated Nth degree polynomial.

## MET Truth vs. $MHT_{JwoJ}$ for $ZH \rightarrow \nu\nu b\bar{b}$





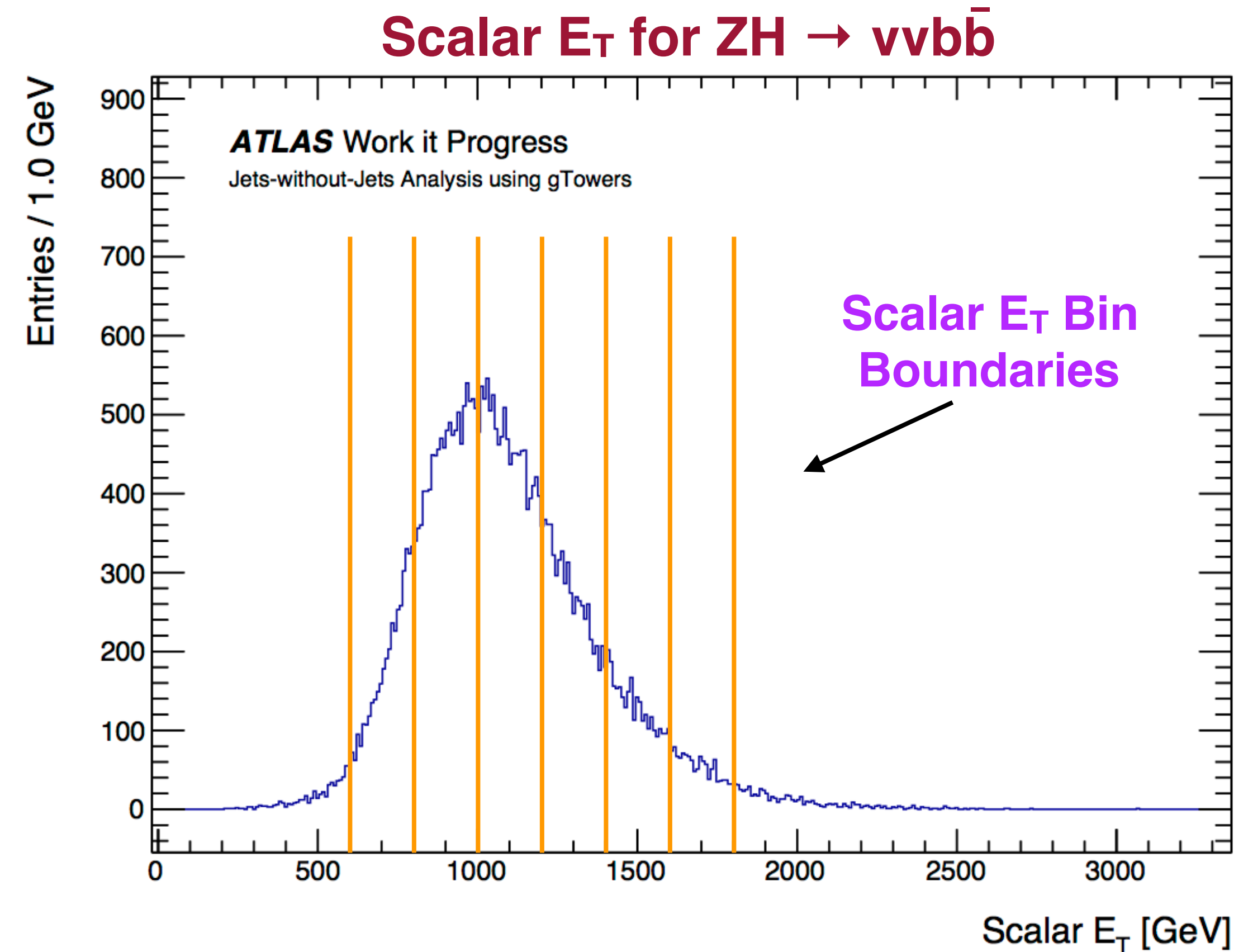
- Seeking a “simple” form of calculated MET, the following method was developed.

## Method:

- Bin each of the JwoJ quantities in terms of Scalar  $E_T$ .
- Determine the coefficient values for each bin by minimizing,

$$\chi^2 = \frac{1}{N} \sum_{i=1}^N (\text{MET Truth}_i - \text{MET}_i)^2$$

- Binning is performed in terms of Scalar  $E_T$  because it is an easily determined quantity (scalar vs. vector). Note that, binning in terms of the other JwoJ quantities produces similar results.
- For a given signal sample, this method produces an independent set of coefficient values for each Scalar  $E_T$  bin.
- Using the sets of optimized parameter values it is then possible to compute MET for all events in a sample based on the sample's event-by-event values for Scalar  $E_T$ .
- Once optimal values of “a”, “b” and “c” have been determined, they will be incorporated into a lookup table that will be used as part of the trigger algorithm.

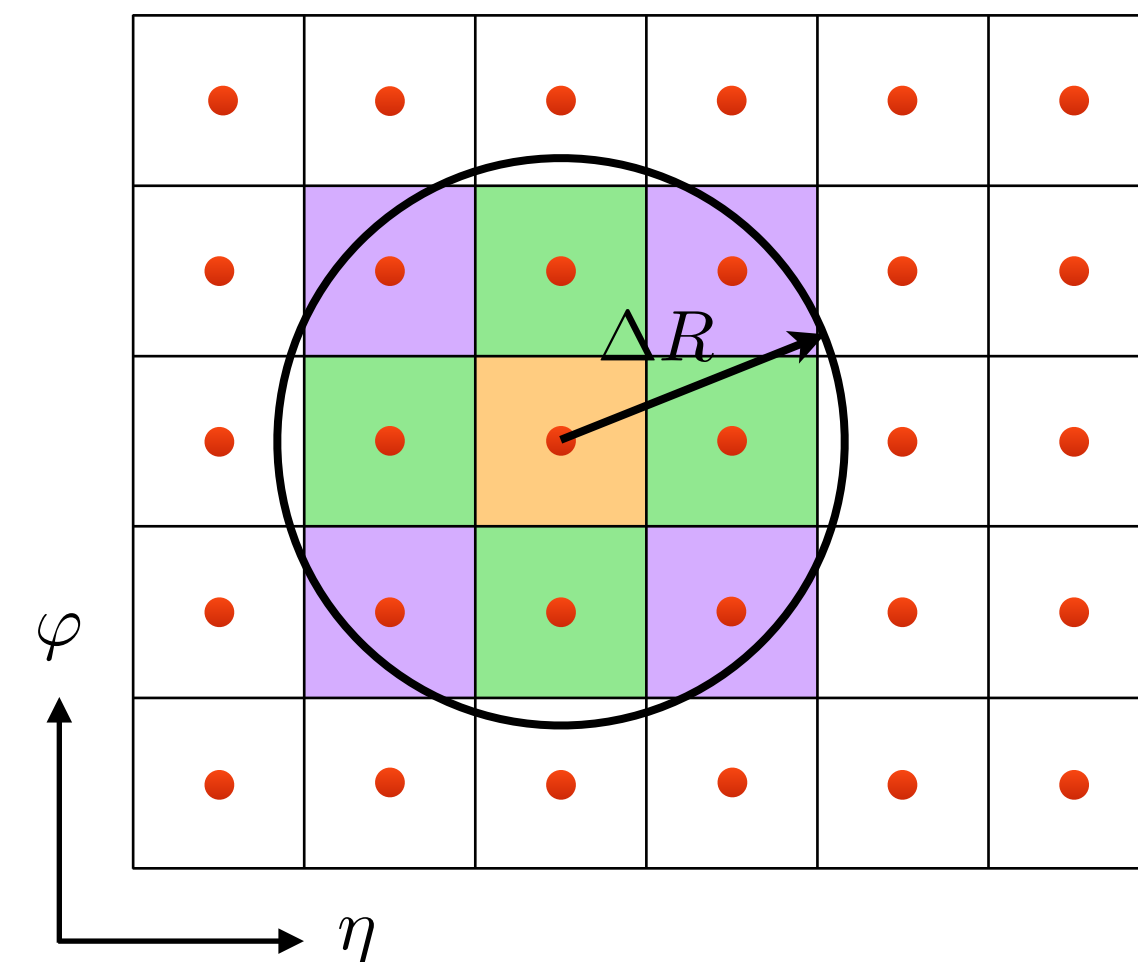




- A set of analysis cuts exist within the Jets-without-Jets Algorithm.
- Since these cuts affect the relative sizes of the “Hard” and “Soft” terms, they alter the calculation of MET.

## Proposed Possible Analysis Cut Values:

- Cone Radius ( $\Delta R$ ): 0.25 or **0.30**
- Minimum gTower  $E_T$  to be Included in Cone Sum: **None**, 0 or 1 GeV
- gTower Cone Sum Cutoff: 10, 15, 20, 25 or 30 GeV



- Some of the proposed these adjustments have been rejected for reasons that are not related to performance.
  - For implementation reasons,  $\Delta R = 0.25$  (the “cross”) has been rejected in favor of  $\Delta R = 0.30$  (the “3x3”).
  - Due to a desire to hold onto the contributions from negative gTowers, no minimum gTower  $E_T$  has been chosen.

- In this analysis, the following tools are used to determine the optimal method for calculating MET.
  - Resolution
  - Trigger Turn-On Curves
  - ROC Curves
- Using these tools, it has been determined that the best performing analysis cut set includes a cone sum cutoff of 25 GeV for all of the proposed methods of calculating MET.

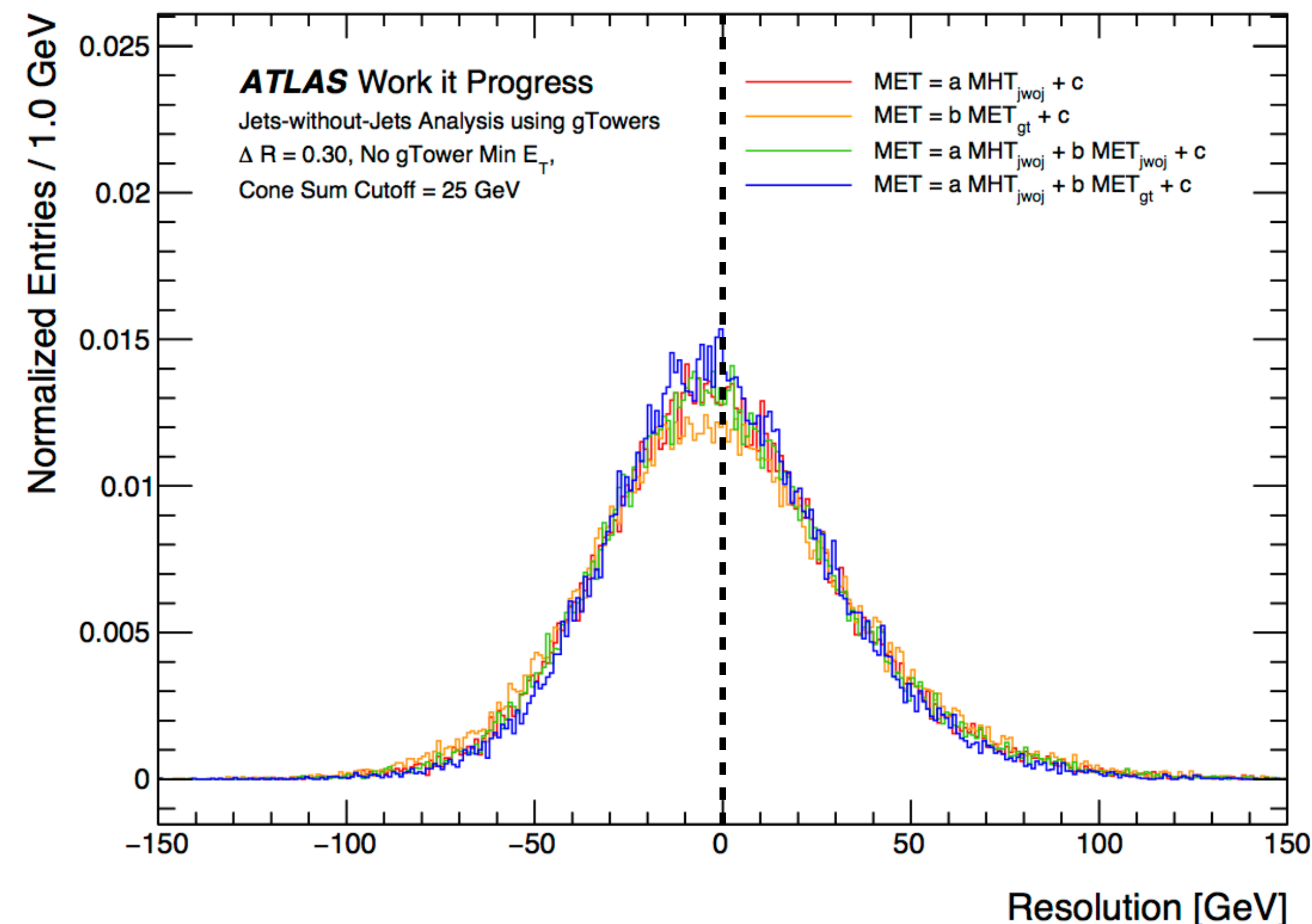
- Resolution is found by computing an event level difference.

$$\text{Resolution} = \text{MET Truth} - \text{MET}$$

- After this difference is found for all events in the sample, the Resolution distribution is then fit using a double gaussian.
- Based on the results of these fits, the form of calculated MET that has the best resolution is,

$$\text{MET} = a \text{MHT}_{\text{JwoJ}} + b \text{MET}_{\text{gT}} + c$$

## Resolution for $\text{ZH} \rightarrow \nu\nu\text{b}\bar{\text{b}}$



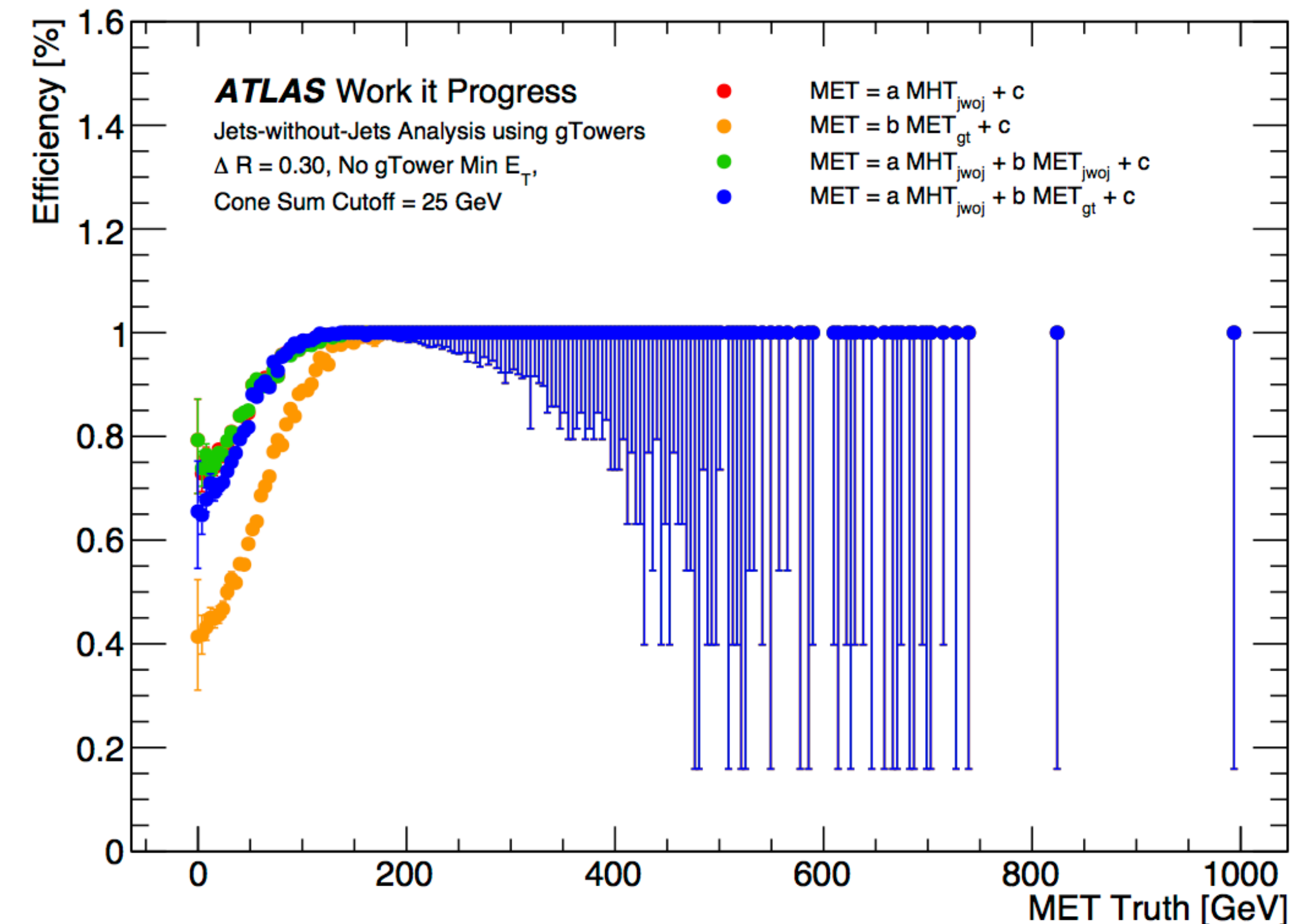
- For the Trigger Turn-On Curves shown here, the background rates for all of the forms of MET are set to the same value.
- The background rate is found by setting the MET Threshold to 50 GeV for **MET = b MET<sub>gT</sub> + c**.
- The resulting curves are fit using a sigmoid function with  $A = 1$ .  

$$y = \frac{A}{1 + e^{-k(x - x_0)}}$$
- For a standard trigger, the desired Turn-On curve for a given background rate has the lowest turn on ( $x_0$ ) and reaches an efficiency of 1.
- For a MET Trigger, the curve should also have the greatest area under the curve at low MET Truth.
- Based on these criteria, the form of calculated MET shown here that has the best turn-on efficiency is,

$$\text{MET} = a \text{MHT}_{\text{JwoJ}} + b \text{MET}_{\text{JwoJ}} + c$$

Background = MinBias

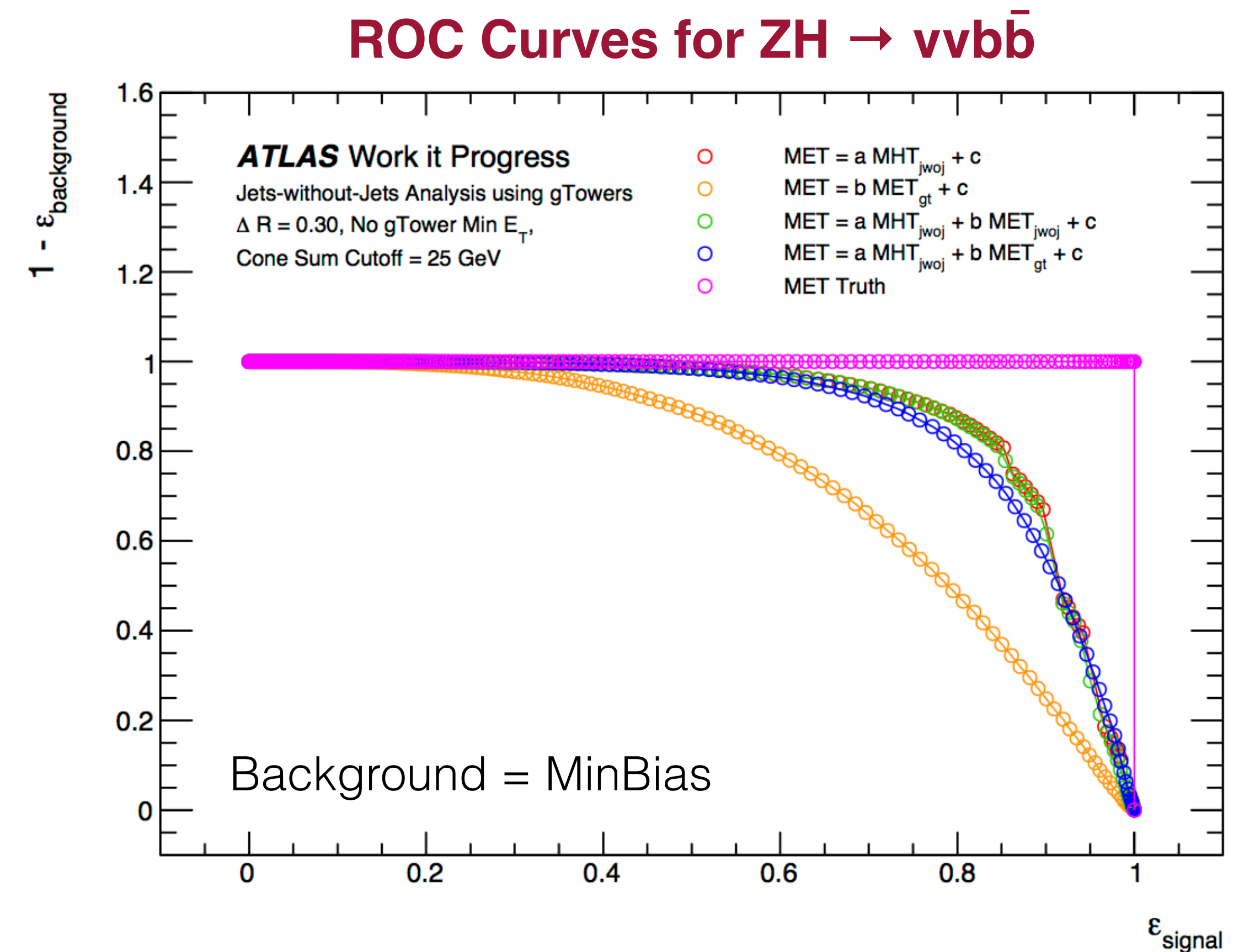
## Trigger Turn-On Curves for ZH → ννb $\bar{b}$





- A ROC Curve is an efficiency curve that compares signal acceptance to background rejection.
- For reference, the ROC Curve for **MET Truth** represents the best possible efficiency for the system.
- As shown here, the ROC curves for **MET = a MHT<sub>JwoJ</sub> + c** and **MET = a MHT<sub>JwoJ</sub> + b MET<sub>JwoJ</sub> + c** are discontinuous at high signal efficiency.
- This behavior is caused by two underlying factors.
  - Both forms of MET are highly dependent on MHT<sub>JwoJ</sub>.
  - The contributions to MHT<sub>JwoJ</sub> experience a marked decrease when the cone sum threshold exceeds 20 GeV.
- Taking this into consideration, the form of MET that has the most desirable ROC Curve efficiency is,

$$\text{MET} = a \text{ MHT}_{\text{JwoJ}} + b \text{ MET}_{\text{gT}} + c$$





## Current Status

- An approach to calculating MET using the Jets-without-Jets Algorithm and the gFEX has been introduced.
- Using this approach, four methods of calculating MET have been proposed and studied.
- A preliminary “best” form of calculated MET using JwoJ quantities has been determined.
  - Version of Calculated MET:  **$MET = a MHT_{JwoJ} + b MET_{gT} + c$**
  - Best Analysis Cut Set:  **$\Delta R = 0.30$ , no gTower minimum ET, gTower cone sum cutoff = 25 GeV**
- Similar studies have been performed using other signal and background samples.
- Cross sample comparison has shown strong sample dependence.

## Moving Forward

- Ongoing work is being done to remove sample dependence from the method being used to determine MET.
- The emphasis of these studies is shifting from signal acceptance to background rejection. To achieve this, optimization will be performed in the “low” MET region.
- Once parallel calibration and pileup studies are completed, gTower calibration and pileup subtraction will be incorporated into these studies.
- Following the completion of these studies, a Level-1 MET trigger algorithm will be constructed and tested.

- ATLAS = A Toroidal LHC ApparatuS
- JwoJ = Jets-Without-Jets
- FPGA = Field Programable Gate Array
- gFEX = Global Feature Extractor
- MET = Missing Transverse Energy

- S. Tang, M. Begel, H. Chen, F. Lanni, H. Takai, W. Wu and the ATLAS Collaboration (2015). gFEX, the ATLAS Calorimeter Level-1 Real Time Processor. ATLAS Note: ATL-DAQ-PROC-2015-059.
- D. Bertolini, T. Chan and J. Thaler (2014). Jet Observables Without Jet Algorithms. eprint arXiv:1310.7584v2 [hep-ph].

# Backup